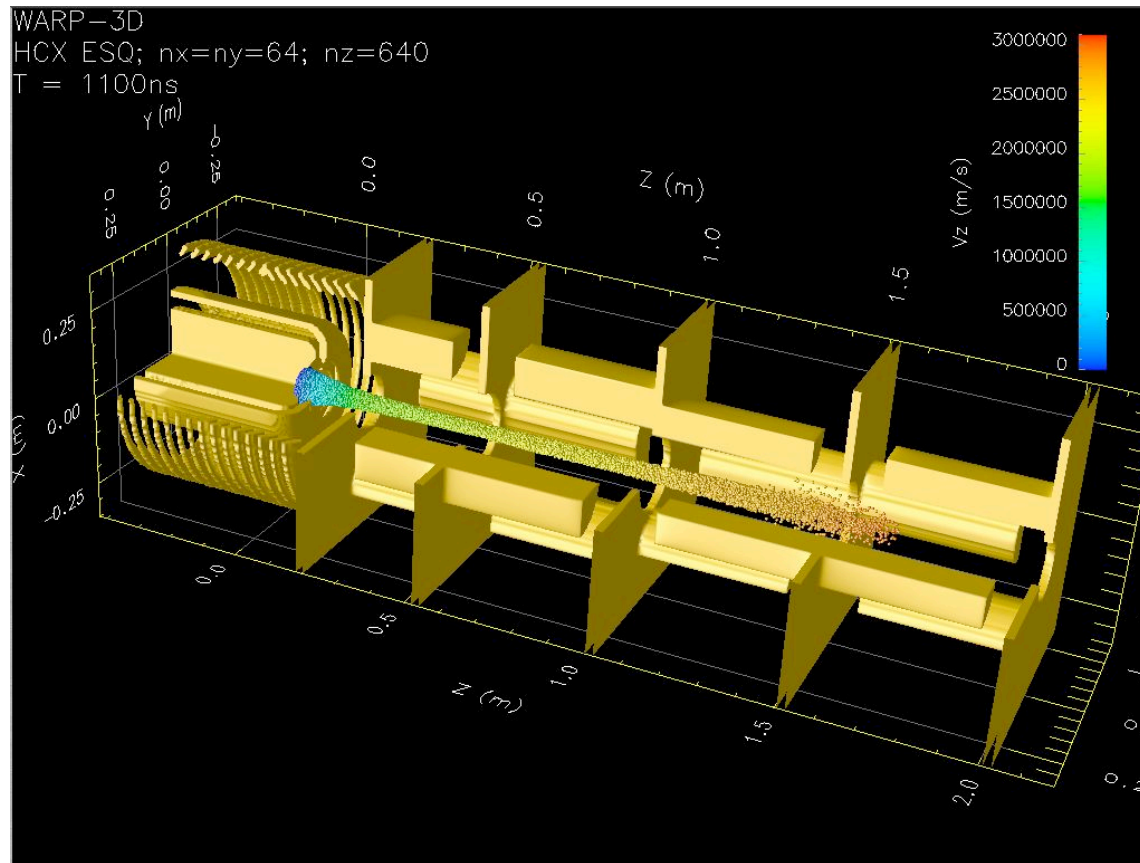


# Overview of Warp, a simulation code for studies of intense ion beams and plasmas



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## Warp combines features of a plasma simulation and an accelerator code

Particle-in-cell with several self-field models (explicit or implicit electrostatic, explicit electromagnetic)		
WARP3d  $x, y, z, p_x, p_y, p_z$ warped Cartesian	WARPrz  $r, z, p_r, p_\theta, p_z$	WARPxy  $x, y, p_x, p_y, p_z$

“lattice” of focusing, bending, and accelerating elements			
sharp edged	axially varying multipole moments	data on a 3D grid	first-principles electrostatic elements at subgrid scale

user-programmable interpreter interface (Python)

parallelization and advanced algorithms

## Key aspects of Warp

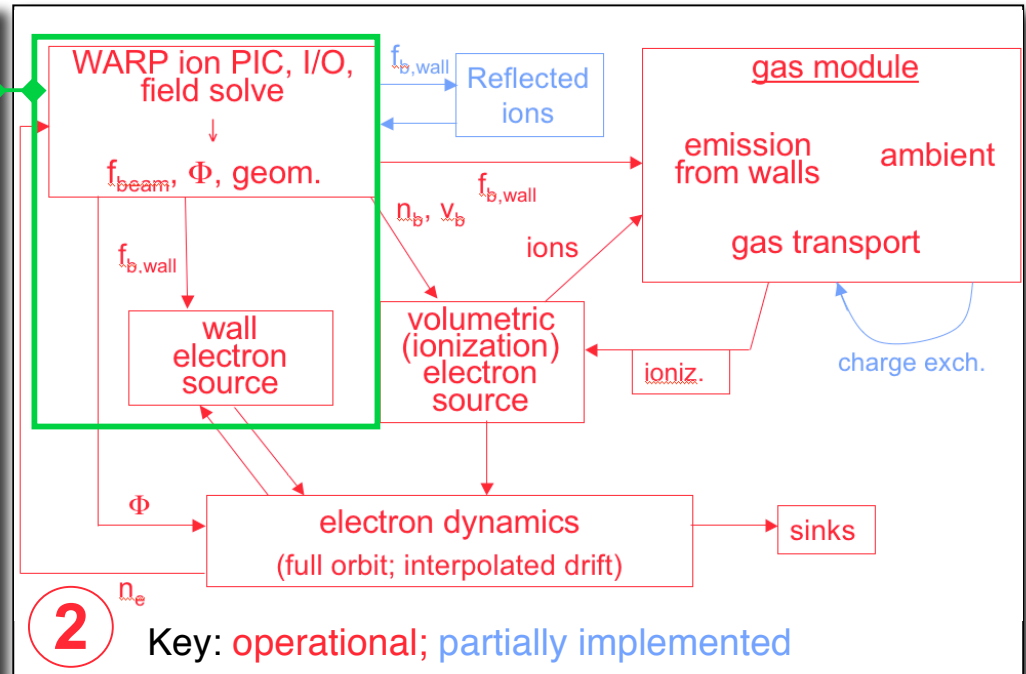
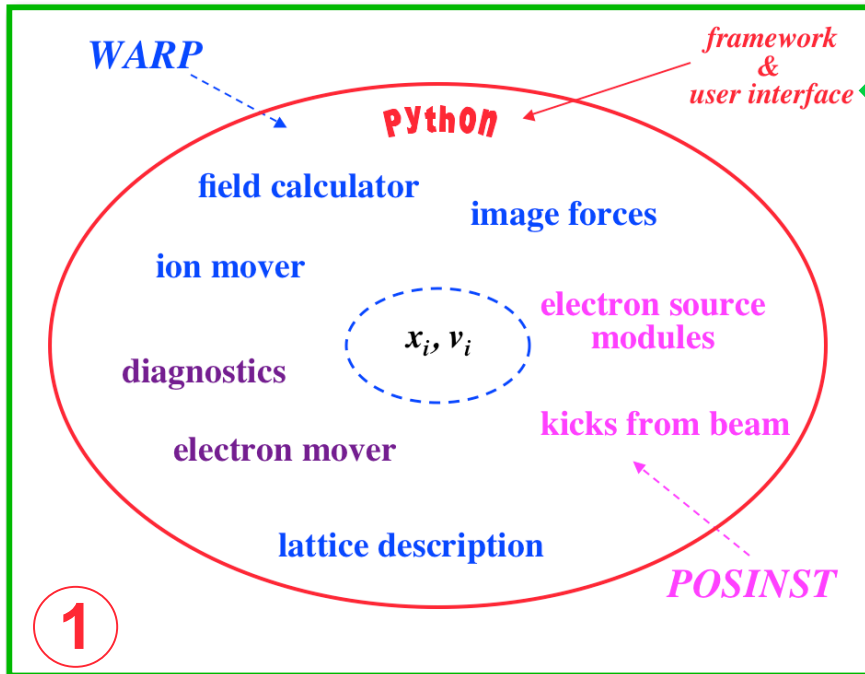
- **Techniques**
  - “Warped” Cartesian mesh allowing simulations of bent beam lines
  - Time is independent coordinate for particle motion
  - Adaptive Mesh Refinement (AMR) and cut-cell boundaries
  - Large  $\Delta t$  algorithms
  - Boosted frame
  - Time-dependent and steady-state modes
  - Parallel processing
- **Capabilities**
  - Time-dependent space-charge limited injection, inc. AMR
  - Secondaries, ionization, Coulomb collisions
  - Arbitrary applied fields in space and time
  - Overlapping beam-line elements
  - Non-paraxial treatment
  - “Quasi-static” mode for long-term simulations of electron cloud effects

# WARP-POSINST unique features

merge of WARP & POSINST

+

new e-/gas modules

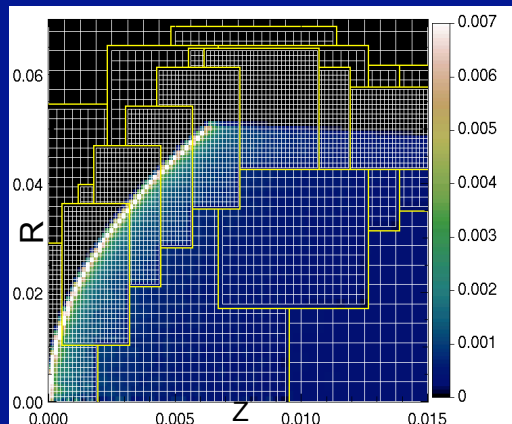


+ Adaptive Mesh Refinement

concentrates resolution only where it is needed

Speed-up

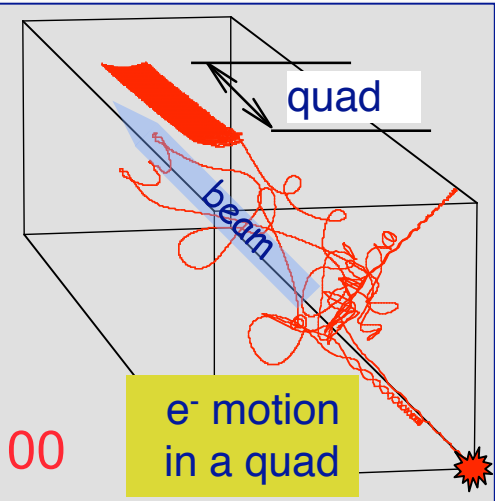
**3**  $\times 10^{-10^4}$



+ Novel e<sup>-</sup> mover

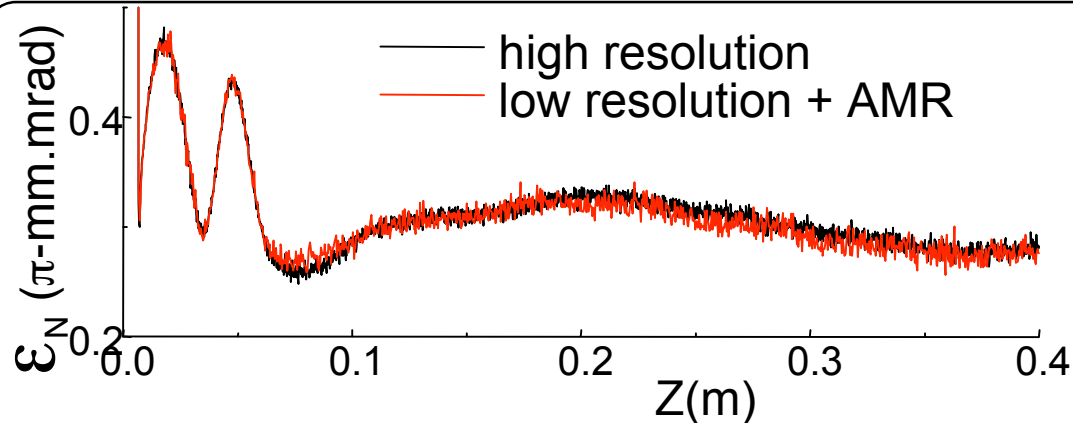
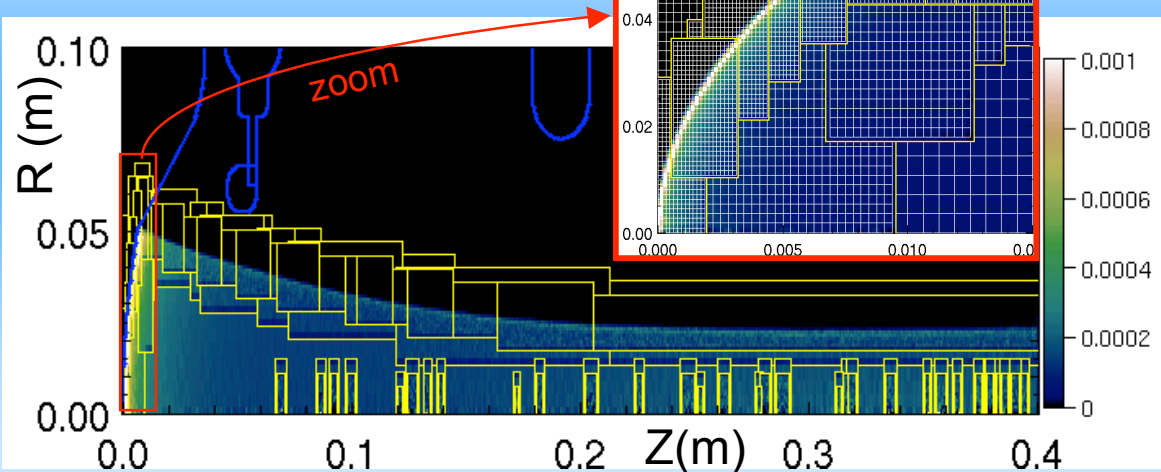
Allows large time step greater than cyclotron period with smooth transition from magnetized to non-magnetized regions

**4** Speed-up  $\times 10-100$



# Particle-In-Cell simulation with Adaptive Mesh Refinement

## AMR modeling of an HIF source and triode region in (r,z) geometry



- In this modest (r,z) example, we obtain a  $\sim 10x$  savings in computational cost for the same accuracy

- AMR implemented in 2-D and 3-D geometries
- Parallelization of MR follows decomposition of the base grid
- E-M mesh refinement in development